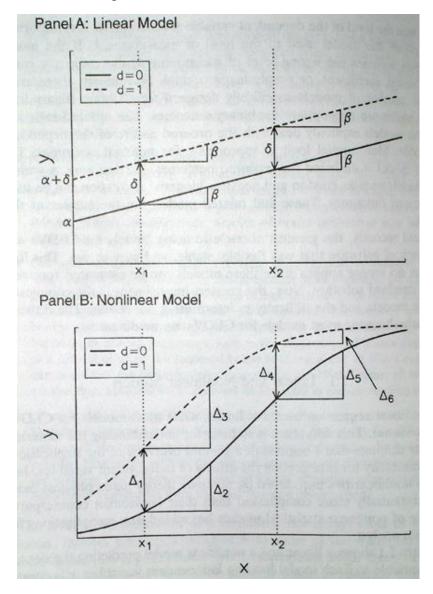
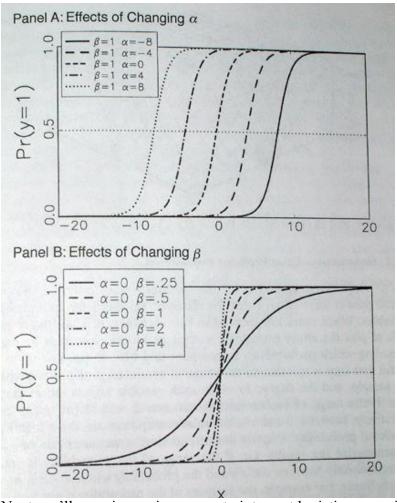
Sociology 7704: Regression Models for Categorical Data Instructor: Natasha Sarkisian

Binary Logit: Interpretation

As logistic regression models (whether binary, ordered, or multinomial) are nonlinear, they pose a challenge for interpretation. The increase in the dependent variable in a linear model is constant for all values of X. Not so for logit models – probability increases or decreases per unit change in X is nonconstant, as illustrated in this picture.



When interpreting logit regression coefficients, we can interpret only the sign and significance of the coefficients – cannot interpret the size. The following picture can give you an idea how the shape of the curve varies depending on the size of the coefficient, however. Note that, similarly to OLS regression, the constant determines the position of the curve along the X axis and the coefficient (beta) determines the slope.



Next, we'll examine various ways to interpret logistic regression results.

1. Coefficients and Odds Ratios

We'll use another model, focusing now on the probability of voting.

. codebook vote00

vote00
did r vote in 2000 election

type: numeric (byte)
label: vote00

range: [1,4] units: 1
unique values: 4 missing .: 14/2765

tabulation: Freq. Numeric Label
1780 1 voted
822 2 did not vote
138 3 ineligible
11 4 refused to answer
14 .

[.] gen vote=(vote00==1) if vote00<3
(163 missing values generated)</pre>

[.] gen married=(marital==1)

```
. logit vote age sex born married childs educ
Iteration 0: \log likelihood = -1616.8899
Iteration 1: \log likelihood = -1365.9814
Iteration 2: \log likelihood = -1353.4091
Iteration 3: \log likelihood = -1353.2224
Iteration 4: log likelihood = -1353.2224
                                                                Number of obs = 2590

LR chi2(6) = 527.33

Prob > chi2 = 0.0000

Pseudo R2 = 0.1631
                                                                Number of obs =
Logistic regression
                                                               Pseudo R2
Log likelihood = -1353.2224
______
                       Coef. Std. Err. z P>|z|
                                                                         [95% Conf. Interval]
         vote |
______
     age | .0466321 .003337 13.97 0.000 .0400917 .0531726 sex | .1094233 .09552 1.15 0.252 -.0777924 .296639 born | -.9673683 .1859278 -5.20 0.000 -1.33178 -.6029564 married | .4911099 .0983711 4.99 0.000 .2983062 .6839136 childs | -.0391447 .0327343 -1.20 0.232 -.1033028 .0250133 educ | .2862839 .0197681 14.48 0.000 .2475391 .3250287 cons | -4.352327 .3892601 -11.18 0.000 -5.115263 -3.589391
```

These are regular logit coefficients; so we can interpret the sign and significance but not the size of effects. So we can say that age increases the probability of voting but we can't say by how much – that's because a 1 year increase in age will not affect the probability the same way for a 30 year old and for a 40 year old.

To be able to interpret effect size, we turn to odds ratios. Note that odds ratios are only appropriate for logistic regression – they don't work for probit models.

Odds are ratios of two probabilities – probability of a positive outcome and a probability of a negative outcome (e.g. probability of voting divided by a probability of not voting). But since probabilities vary depending on values of X, such a ratio varies as well. What remains constant is the ratio of such odds – e.g. odds of voting for women divided by odds of voting for men will be the same number regardless of the values of other variables. Similarly, the odds ratio for age can be a ratio of the odds of voting for someone who is 31 y.o. to the odds of a 30 y.o. person, or of a 41 y.o. to a 40 y.o. person's odds – these will be the same regardless of what age values you pick, as long as they are one year apart. So let's examine the odds ratios.

Another way to obtain odds ratios would be to use "logistic" command instead of "logit" – it automatically displays odds ratios instead of coefficients. But yet another, more convenient way is to use listcoef command (that's one of the commands written by Scott Long that we downloaded as a part of spost package):

. listcoef

logit (N=2590): Factor change in odds

Odds of: 1 vs 0

	_						
		b	Z	P> z	e^b	e^bStdX	SDofX
age sex born		0.0466 0.1094 -0.9674	13.974 1.146 -5.203	0.000 0.252 0.000	1.048 1.116 0.380	2.230 1.056 0.788	17.195 0.497 0.246
married childs	i	0.4911 -0.0391	4.992 -1.196	0.000	1.634 0.962	1.278 0.936	0.499
educ constant	1	0.2863 -4.3523	14.482 -11.181	0.000	1.331	2.311	2.926

The advantage of listcoef is that it reports regular coefficients, odds ratios, and standardized odds ratios in one table. Odds ratios are exponentiated logistic regression coefficients. They are sometimes called factor coefficients, because they are multiplicative coefficients. Odds ratios are equal to 1 if there is no effect, smaller than 1 if the effect is negative and larger than 1 if it is positive. So for example, the odds ratio for married indicates that the odds of voting for those who are married are 1.63 times higher than for those who are not married. And the odds ratio for education indicates that each additional year of education makes one's odds of voting 1.33 times higher -- or, in other words, increases those odds by 33%. To get percent change directly, we can use percent option:

. listcoef, percent

logit (N=2590): Percentage Change in Odds

Odds of: 1 vs 0

vote	b	Z	P> z	% 	%StdX	SDofX
age	0.04663	13.974	0.000	4.8	123.0	17.1953
sex	0.10942	1.146	0.252	11.6	5.6	0.4972
born	-0.96737	-5.203	0.000	-62.0	-21.2	0.2457
married	0.49111	4.992	0.000	63.4	27.8	0.4990
childs	-0.03914	-1.196	0.232	-3.8	-6.4	1.6762
educ	0.28628	14.482	0.000	33.1	131.1	2.9257

Beware: if you would like to know what the increase would be per, say, 10 units increase in the independent variable – e.g. 10 years of education, you cannot simply multiple the odds ratio by 10! The coefficient, in fact, would be odds ratio to the power of 10. Or alternatively, you could take the regular logit coefficient, multiply it by 10 and then exponentiate it -- e.g., for education:

. $di \exp(0.28628*10)$

17.510488

. di 1.3315^10

17.515063

Standardized odds ratios (presented under e^bStdX) are similar to regular odds ratios, but they display the change in the odds of voting per one standard deviation change in the independent variable. The last column in the table generated by listcoef shows what one standard deviation for each variable is. So for age the standardized odds ratio indicates that 17 years of age increase one's odds of voting 2.23 times, or by 123%. Standardized odds ratios, like standardized coefficients in OLS, allow us to compare effect sizes across variables regardless of their measurement units. But,

beware of comparing negative and positive effects – odds ratios of 1.5 and .5 are not equivalent, even though the first one represents a 50% increase in odds and the second one represents a 50% decrease. This is because odds ratios cannot be below zero (there cannot be a decrease more than 100%), but they do not have an upper bound – i.e. can be infinitely high. In order to be able to compare positive and negative effects, we can reverse odds ratios and generate odds ratios for odds of not voting (rather than odds of voting).

```
. listcoef, reverse
logit (N=2590): Factor Change in Odds
   Odds of: 0 vs 1
```

vote	 	b	 Z	P> z	e^b	e^bStdX	SDofX
	+-						
age		0.04663	13.974	0.000	0.9544	0.4485	17.1953
sex		0.10942	1.146	0.252	0.8964	0.9470	0.4972
born		-0.96737	-5.203	0.000	2.6310	1.2682	0.2457
married		0.49111	4.992	0.000	0.6119	0.7826	0.4990
childs		-0.03914	-1.196	0.232	1.0399	1.0678	1.6762
educ		0.28628	14.482	0.000	0.7510	0.4328	2.9257

We can see for example that the odds ratio of 0.3801 for born is a negative effect corresponding in size to a positive odds ratio of 2.6310. Listcoef also has a help option that explains what's what:

```
. listcoef, reverse help
logit (N=2590): Factor Change in Odds
  Odds of: 0 vs 1
```

vote	b	z	P> z	e^b	e^bStdX	SDofX
age	0.04663	13.974	0.000	0.9544	0.4485	17.1953
sex	0.10942	1.146	0.252	0.8964	0.9470	0.4972
born	-0.96737	-5.203	0.000	2.6310	1.2682	0.2457
married	0.49111	4.992	0.000	0.6119	0.7826	0.4990
childs	-0.03914	-1.196	0.232	1.0399	1.0678	1.6762
educ	0.28628	14.482	0.000	0.7510	0.4328	2.9257

```
b = raw coefficient
z = z-score for test of b=0
P>|z| = p-value for z-test
e^b = exp(b) = factor change in odds for unit increase in X
e^bStdX = exp(b*SD of X) = change in odds for SD increase in X
SDofX = standard deviation of X
```

When a set of dummies is used, we might be interested in all kinds of pairwise comparisons; to get odds ratios for those, we use pwcompare command:

```
. logit vote age sex born i.marital childs educ, or
Iteration 0: log likelihood = -1616.8899
Iteration 1: \log likelihood = -1361.6039
Iteration 2: \log \text{ likelihood} = -1352.4837
Iteration 3: \log likelihood = -1352.4548
Iteration 4:
              log likelihood = -1352.4548
Logistic regression
                                                 Number of obs =
                                                                         2590
                                                 LR chi2(9) =
                                                 Prob > chi2
                                                                       0.0000
Log likelihood = -1352.4548
                                                 Pseudo R2
                                                                      0.1635
         vote | Odds Ratio Std. Err. z P>|z| [95% Conf. Interval]
_____
          age | 1.048782 .0040525 12.33 0.000 1.040869 1.056755

    sex |
    1.11771
    .1080131
    1.15
    0.250
    .924849
    1.350789

    born |
    .3761262
    .0701482
    -5.24
    0.000
    .2609655
    .5421061

      marital |
```

widowed divorced separated	.6014296 .5493787 .6970315	.125745 .0741513 .1716079	-2.43 -4.44 -1.47	0.015 0.000 0.143	.3992255 .4216796 .4302175	.9060482 .7157496 1.129319
never married	.6503118	.0840993	-3.33	0.001	.5047112	.8379156
childs	.9655952	.0325389	-1.04	0.299	.9038806	1.031523
educ cons	1.333732	.0265289	14.48 -9.46	0.000	1.282737	1.386754
	.0190932	.0001730	2.40	0.000	.0007313	.0111231

. pwcompare marital

Pairwise comparisons of marginal linear predictions

Margins : asbalanced

	Contrast	Std. Err.	Unadj [95% Conf.	usted Interval]
vote				
marital widowed vs married divorced vs married separated vs married never married vs married divorced vs widowed separated vs widowed never married vs widowed	5084458	.2090768	9182288	0986628
	5989672	.1349731	8635096	3344249
	3609247	.2461983	8434645	.121615
	4303034	.1293215	6837689	1768379
	0905214	.2213725	5244036	.3433607
	.1475211	.3044299	4491506	.7441927
	.0781424	.2412223	3946447	.5509295
separated vs divorced never married vs divorced never married vs separated	.2380425	.2618905	2752534	.7513384
	.1686638	.1560947	1372761	.4746038
	0693787	.2594929	5779754	.4392181

And to get actual odds ratios:

. pwcompare marital, eform

Pairwise comparisons of marginal linear predictions

Margins : asbalanced

	1			Unadj	usted
		orm (h)	Std. Err.	[95% Conf.	
		exp(b)	Sta. EII.	[93% CONI.	Incerval
	+				
vote					
marital					
widowed vs married		.6014296	.125745	.3992255	.9060482
divorced vs married	1	.5493787	.0741513	.4216796	.7157496
separated vs married		.6970315	.1716079	.4302175	1.129319
never married vs married		.6503118	.0840993	.5047112	.8379156
divorced vs widowed		.9134548	.2022138	.5919083	1.409677
separated vs widowed		1.158958	.3528214	.63817	2.104742
never married vs widowed		1.081277	.2608281	.6739194	1.734865
separated vs divorced		1.268763	.332277	.7593797	2.119835
never married vs divorced		1.183722	.1847727	.8717295	1.607377
never married vs separated		.9329733	.2421	.5610331	1.551494

A side note: something that can be helpful when doing hypothesis testing for groups of dummies (instead of using acc option in test or lrtest):

```
. testparm i.marital
```

(1) [vote]2.marital = 0

(2) [vote]3.marital = 0

(3) [vote]4.marital = 0

(4) [vote] 4. marital = 0

chi2(4) = 26.50Prob > chi2 = 0.0000

2. Predicted Probabilities

In addition to regular coefficients and odds ratios, we also should examine predicted probabilities – both for the actual observations in our data and for strategically selected hypothetical cases. Predicted probabilities are always calculated for a specific set of independent variables' values. One thing we can calculate is predicted probabilities for the actual data that we have – for each case, we take the values of all independent variables and plug it into the equation:

Mean of predicted probabilities represents the average proportion in the sample:

```
. sum vote if e(sample)

Variable | Obs Mean Std. Dev. Min Max

vote | 2590 .6833977 .4652406 0 1
```

These are predicted probabilities for the actual cases in our dataset. It can be useful, however, to calculate predicted probabilities for hypothetical sets of values – some interesting combinations that we could compare and contrast.

This calculates a predicted probability for a case with all values set at the mean. So an "average" person has 72.5% chance of voting. We can also see what these averages are. If we do not specify atmeans (and do not specify values for each variable), the margins command calculates average predicted probability across the observations we have in the dataset.

Clearly, for some variables, averages don't make sense – e.g., we don't want to use averages for dummy variables; rather, we'd want to specify what values to use. Here is an example of specifying values:

```
. margins, at(age=30 born=1 sex=2 married=0) atmeans

Adjusted predictions

Model VCE : OIM

2590
```

This is the predicted value for someone who is 30, native born, female, and unmarried (and has average number of children and average education). Note that if you have a set of dummy variables, you can just specify the category number, e.g., if you are using i.marital, you can write (marital=2) in the at option.

We can also use margins command to compare predictions at different values:

```
. margins, at (married=0 married=1) atmeans
Adjusted predictions
                                                                             Number of obs = 2590
Model VCE : OIM
Expression : Pr(x)
                   : Pr(vote), predict()
Expression
                   : age = 46.93591 (mean)

sex = 1.553282 (mean)

born = 1.064479 (mean)

married = 0

childs = 1.838996 (mean)

educ = 13.39459 (mean)
1. at
                      age = 46.93591 (mean)
sex = 1.553282 (mean)
born = 1.064479 (mean)
married = 1
childs = 1.838996 (mean)
educ = 13.39459 (mean)
2. at
                 : age
                      educ
                               Delta-method
                         Margin Std. Err. z P>|z| [95% Conf. Interval]
              _at |

    1 | .6768395
    .0143948
    47.02
    0.000
    .6486262
    .7050528

    2 | .7738877
    .0131271
    58.95
    0.000
    .748159
    .7996164

. margins, at (age=(30(10)70)) atmeans
                                                                          Number of obs = 2590
Adjusted predictions
Model VCE : OIM
Expression : Pr(vote), predict()
                      age = 30
sex = 1.553282 (mean)
born = 1.064479 (mean)
married = .4675676 (mean)
childs = 1.838996 (mean)
educ = 13.39459 (mean)
1. at : age
```

2at	:	age	=	40			
_		sex	=	1.553282	(mean)		
		born	=	1.064479			
		married	=	.4675676			
		childs	=	1.838996			
		educ	=	13.39459	, ,		
					, ,		
3. at	:	age	=	50			
		sex	=	1.553282	(mean)		
		born		1.064479			
		married		.4675676			
		childs		1.838996			
		educ	=	13.39459			
					(======		
4. at		age	=	60			
1~~	•	sex		1.553282	(mean)		
		born		1.064479			
		married		.4675676			
		childs		1.838996			
		educ	=	13.39459			
		0440		10.03103	(1110411)		
5. at		age	=	70			
٠٠_۵٥	•	sex	=	1.553282	(mean)		
		born		1.064479			
		married	=	.4675676			
		childs	=	1.838996	(mean)		
		educ		13.39459			
		caac		10.00100	(mean)		
	1	ī	Delta-met	hod			
	i	Margin		r. z	P> 7	[95% Conf.	Intervall
	+						
	at						
_	1	.5446694	.016041	5 33.95	0.000	.5132286	.5761101
	2					.6341694	
	3					.7327664	
						.8081108	
	5 1	.8853845					.9058111
	J	.0000010	. 0 1 0 1 2 1	01.00	0.000	.001550	• >000111

To have a more compact legend:
. margins, at(age=(30(10)70) married=(0 1)) atmeans noatlegend

Adjusted predictions Model VCE : OIM Number of obs = 2590

Expression : Pr(vote), predict()

	I		Delta-r	nethod					
		Margin	Std.	Err.	Z	P> :	z [9	5% Conf.	<pre>Interval]</pre>
at	+ 								
_1	. 4	873847	.0196	5449	24.8	1 0.0	00 .4	488815	.525888
2	1 .6	084111	.0200	184	30.3	9 0.0	.5	691757	.6476464
3	1 .6	024896	.0157	7359	38.2	9 0.0	.5	716478	.6333313
4	.7	123775	.0151	L151	47.1	3 0.0	.6	827525	.7420025
5	.7	072717	.0141	L615	49.9	4 0.0	.6	795157	.7350278
6	.7	979096	.0125	5434	63.6	1 0.0	. 00	773325	.8224942
7	.7	938829	.0139	9495	56.9	1 0.0	.7	665424	.8212234
8	.8	629015	.0111	L527	77.3	7 0.0	.8 00	410427	.8847604
9	.8	599425	.0132	2394	64.9	5 0.0	.8 00	339938	.8858911

. mlistat

at() values held constant

sex	born	childs	educ
1.55	1.06	1.84	13.4

at() values vary

_at		age	married
1 2 3 4 5 6 7	-+ 	30 30 40 40 50 50 60	0 1 0 1 0 1 0
9		70 70	0 1

We could also separate groups and do predictions separately (note that group-based means are used for each group, so it is different from using that variable within "at" option).

. margins, over(married) at (age=(30(10)70)) atmeans noatlegend

Adjusted predictions Number of obs = 2590

Model VCE : OIM

Expression : Pr(vote), predict()
over : married

	1	Delta-metho	od			
	Margir	n Std. Err.	. Z	P> z	[95% Conf	. Interval]
at#married	+ 					
1 0	.4787915	5 .0187124	25.59	0.000	.4421158	.5154673
1 1	.6177066	.0203227	30.39	0.000	.5778749	.6575383
2 0	.5942195	.0151977	39.10	0.000	.5644325	.6240064
2 1	.7203395	.0149981	48.03	0.000	.6909437	.7497353
3 0	.7000965	5 .0141623	49.43	0.000	.672339	.727854
3 1	.8041548	.0121038	66.44	0.000	.7804318	.8278778
4 0	.7881948	.0143163	55.06	0.000	.7601354	.8162543
4 1	.8674719	.0105976	81.86	0.000	.846701	.8882428
5 0	.8557462	.0137381	62.29	0.000	.82882	.8826724
5 1	.9125447	7 .0092091	99.09	0.000	.8944952	.9305942

[.] mlistat

at() values vary

_at	age	sex	born	married	childs	educ
1	30	1.59	1.05	0	1.53	13.2
2	30	1.51	1.08	1	2.2	13.7
3	40	1.59	1.05	0	1.53	13.2

```
1.08
4 |
        40
               1.51
                                       2.2
                                                13.7
5 |
        50
               1.59
                       1.05
                                       1.53
                                                13.2
6 |
        50
               1.51
                       1.08
                                 1
                                        2.2
                                                13.7
7 |
                                 0
        60
               1.59
                       1.05
                                        1.53
                                                13.2
8 |
                       1.08
                                 1
        60
               1.51
                                        2.2
                                                13.7
9 |
        70
               1.59
                       1.05
                                  0
                                        1.53
                                                13.2
10 I
        70
               1.51
                       1.08
                                  1
                                                13.7
                                         2.2
```

Margins command also permits us to transform our predictions and get p-values and CI for transformed version:

```
Adjusted predictions Number of obs = 2590 Model VCE : OIM
```

. margins, at(married=(0 1)) atmeans noatlegend expression(1-predict(pr))

Expression : 1-predict(pr)

		Delta-method Std. Err.	z	P> z	[95% Conf.	Interval]
_at 1 2	.3231605		22.45 17.22		.2949472	.3513738

Or to test if predicted probability is different from, say, 0.5:

```
. margins, at(married=(0 1)) at means no at legend expression(predict(pr)-.5)  
Adjusted predictions  
Number of obs = 2590
```

Model VCE : OIM

Expression : predict(pr) - .5

	Delta-method Std. Err.	z	P> z	[95% Conf.	Interval]
		12.28		.1486262 .248159	.2050528 .2996164

We can also use mtable to obtain values of predicted probabilities for various combinations of categorical variables – but note that we need to specify what values to use for all other variables – e.g., in this case, all other variables are set at the mean.

```
. qui logit vote age sex born married childs educ
. mtable, at(born=(0 1) married=(0 1)) atmeans
```

Expression: Pr(vote), predict()

ļ	born	married	Pr(y)
1 2 3	0 0 1	0 1 0	0.854 0.906 0.690
4	1	1	0.785

Specified values of covariates

	age	sex	childs	educ
Current	46.9	1.55	1.84	13.4

This allows us to see that the effect of one variable depends on the level of the other – for native born individuals, marriage increases chances of voting by 9.5%, but for the foreign born, marriage increases these chances by 12.2%. We can also get confidence intervals for predictions, as well as some other statistics:

. mtable, at(born=(0 1) married=(0 1)) atmeans statistics(ci)

Expression: Pr(vote), predict()

	born	married	Pr(y)	11	ul
1	,	0	0.854	0.804	0.905
2	0	1	0.906	0.869	0.942
3	1	0	0.690	0.662	0.718
4	1	1	0.785	0.759	0.810

Specified values of covariates

	age	sex	childs	educ
Current	46.9	1.55	1.84	13.4

. mtable, at(born=(0 1) married=(0 1)) atmeans statistics(all)

Expression: Pr(vote), predict()

	born	married	Pr(y)	se	Z	р
1 2 3 4	0 0 1 1 1	0 1 0 1	0.854 0.906 0.690 0.785	0.026 0.019 0.014 0.013	33.196 48.426 48.515 60.182	0.000 0.000 0.000 0.000
1 2 3 4	0.804 0.869 0.662 0.759	0.905 0.942 0.718 0.810				

Specified values of covariates

```
| age sex childs educ
-----
Current | 46.9 1.55 1.84 13.4
```

You may also find an older command, prtab, useful (but note that it is not compatible with the new way to specifying dummies using i. – only works with xi: prefix in that case): . prtab born married, rest(mean)

logit: Predicted probabilities of positive outcome for vote

```
was r
born in |
this | married
country | 0 1
```

With mtable, the best way to do predictions by group is to use over option:

. mtable, at(born=(0 1) married=(0 1)) atmeans over(sex)

Expression: Pr(vote), predict()

1	age	sex	born	married	childs	educ
1	46.2	1	0	0	1.68	13.4
2 3	47.5 46.2	2 1	0	0 1	1.96 1.68	13.4 13.4
4	47.5	2	0	1	1.96	13.4
5 6	46.2 47.5	2	1	0	1.68 1.96	13.4 13.4
7 8	46.2 47.5	1 2	1	1	1.68 1.96	13.4 13.4
0	47.3	۷	1	1	1.90	13.4
	Pr(y)					

```
1 | 0.843
2 | 0.863
3 | 0.898
4 | 0.911
5 | 0.672
6 | 0.705
7 | 0.770
8 | 0.796
```

Specified values where .n indicates no values specified with at()

Note that it only makes sense to create such tables of predicted probabilities for variables that have significant effects – otherwise, you'll see no differences.

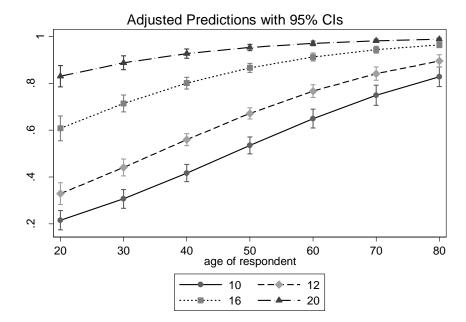
Further, we can use marginsplot after margin to graph probabilities for certain sets of values. This is useful with continuous variables, as it allows us to see how predicted probability changes across values of one variable (given that the rest of them are set at some specific values).

For example, we can plot four curves that show how probability of voting changes by age for an average person who has 10, 12, 16, or 20 years of education.

at						
1	.2160915	.0211483	10.22	0.000	.1746416	.2575414
2	.3290183	.0237367	13.86	0.000	.2824951	.3755414
3	.6080911	.0271769	22.38	0.000	.5548254	.6613568
4	.8307875	.0231461	35.89	0.000	.785422	.8761531
5	.3074013	.0204778	15.01	0.000	.2672656	.3475371
6	.4411898	.0186146	23.70	0.000	.4047058	.4776738
7	.7141425	.0183676	38.88	0.000	.6781426	.7501424
8	.8877053	.0151673	58.53	0.000	.8579778	.9174327
9	.4167808	.0186739	22.32	0.000	.3801807	.4533809
10	.5597036	.0131027	42.72	0.000	.5340229	.5853843
11	.8008927	.0125282	63.93	0.000	.7763378	.8254475
12	.9271563	.010058	92.18	0.000	.9074431	.9468696
13	.5350154	.0185145	28.90	0.000	.4987277	.5713031
14	.6717814	.0119539	56.20	0.000	.6483522	.6952105
15	.8662472	.0098556	87.89	0.000	.8469306	.8855637
16	.953474	.0068999	138.19	0.000	.9399504	.9669976
17	.6494415	.020568	31.58	0.000	.6091288	.6897541
18	.7671963	.0138781	55.28	0.000	.7399956	.7943969
19	.9124937	.0084824	107.58	0.000	.8958686	.9291189
20	.970585	.004878	198.97	0.000	.9610244	.9801456
21	.7489234	.0220661	33.94	0.000	.7056747	.7921721
22	.8414212	.0146909	57.27	0.000	.8126275	.8702149
23	.9437876	.0071808	131.43	0.000	.9297136	.9578617
24	.981525	.0034965	280.72	0.000	.974672	.988378
25	.8276656	.0213316	38.80	0.000	.7858566	.8694747
26	.8952132	.0136561	65.55	0.000	.8684477	.9219788
27	.9643278	.0057912	166.52	0.000	.9529772	.9756783
28	.9884446	.0025063	394.38	0.000	.9835323	.993357

. marginsplot

Variables that uniquely identify margins: age educ



If there are interactions or nonlinearities that required that you entered a variable more than once (e.g. X and X squared), you can also this marginplots to graph that.

. logit vote i.sex##c.age educ i.born i.marital childs

log likelihood = -1616.8899Iteration 0: log likelihood = -1361.3117 log likelihood = -1352.2041 Iteration 1: Iteration 2: log likelihood = -1352.1752Iteration 3: Iteration 4: log likelihood = -1352.1752

Number of obs = 2590 LR chi2(10) = 529.43 Prob > chi2 = 0.0000 Pseudo R2 = 0.1637 Logistic regression

Log likelihood = -1352.1752

vote	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
sex						
female	0844048	.2788219	-0.30	0.762	6308857	.4620761
age	.0451964	.0050282	8.99	0.000	.0353414	.0550514
sex#c.age						
female	.0045923	.006136	0.75	0.454	007434	.0166185
I						
educ	.2877763	.0198892	14.47	0.000	.2487942	.3267584
. !						
born						
no	9707724	.1867578	-5.20	0.000	-1.336811	6047339
marital						
widowed	5480377	.2157987	-2.54	0.011	9709953	1250801
divorced	6021702	.13507	-4.46	0.000	8669025	3374379
separated	3569101	.2463735	-1.45	0.147	8397932	.125973
never mar	4341406	.1294304	-3.35	0.001	6878196	1804616
childs	0334493	.0337876	-0.99	0.322	0996717	.0327732
cons	-4.68753	.3754022	-12.49	0.000	-5.423305	-3.951756

. margins, at (age=(20(10)80) sex=(1 2)) atmeans noatlegend

Adjusted predictions Number of obs = 2590

Model VCE : OIM

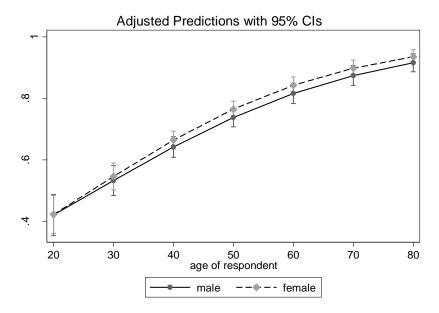
Expression : Pr(vote), predict()

1		Delta-method				
	Margin	Std. Err.	Z	P> z	[95% Conf.	Interval]
at						
1	.4208618	.0339115	12.41	0.000	.3543965	.4873271
2	.5331333	.0248281	21.47	0.000	.4844712	.5817954
3	.6421463	.0171949	37.35	0.000	.6084449	.6758478
4	.7382043	.0153451	48.11	0.000	.7081285	.7682802
5	.8158712	.016502	49.44	0.000	.7835279	.8482145
6	.8744164	.0166122	52.64	0.000	.8418571	.9069757
7	.9162574	.0151062	60.65	0.000	.8866497	.945865
8	.4226765	.0312803	13.51	0.000	.3613681	.4839848
9	.5463891	.022257	24.55	0.000	.5027662	.5900119
10	.6646261	.0147728	44.99	0.000	.6356719	.6935803
11	.7652831	.0132203	57.89	0.000	.7393717	.7911945
12	.8428718	.0139768	60.31	0.000	.8154779	.8702658

13	1	.8982235	.0134213	66.93	0.000	.8719183	.9245288
14	-	.935567	.011543	81.05	0.000	.9129432	.9581908

. marginsplot

Variables that uniquely identify margins: age sex



If you want to be able to format these graphs in your own ways, you can save predictions from margins into variables using mgen command:

. mgen, at(educ=(10 12 16 20) sex=(1 2)) atmeans stub(edsex_)

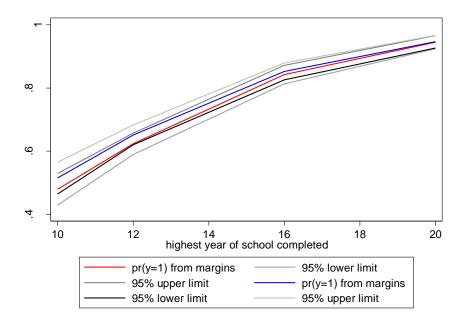
Predictions from: margins, at(educ=(10 12 16 20) sex=(1 2)) atmeans predict(pr)

Variable	Obs	Unique	Mean	Min	Max	Label
edsex_pr1 edsex_ll1 edsex_ul1 edsex_educ edsex_sex	8 8 8 8	8	.699113 .7650752 14.5	.429009 .5296764	.9269149 .9672681 20	<pre>pr(y=1) from margins 95% lower limit 95% upper limit highest year of school co respondents sex</pre>

Specified values of covariates

	2.	2.	3.	4.	5.	
age	born	marital	marital	marital	marital	childs
46.93591	.0644788	.0926641	.1617761	.0351351	.2428571	1.838996

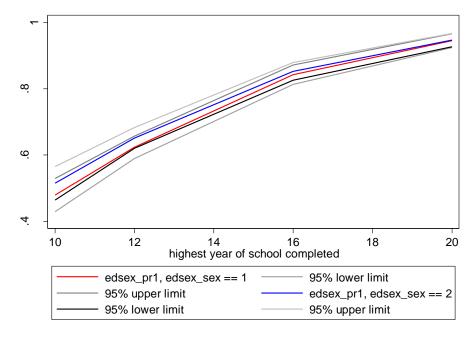
[.] graph twoway (line edsex_pr1 edsex_ll1 edsex_ul1 edsex_educ if edsex_sex==1,
> sort lcolor(red)) (line edsex_pr1 edsex_ll1 edsex_ul1 edsex_educ if edsex
> _sex==2, sort lcolor(blue))



. separate edsex_pr1, by(edsex_sex)

variable name	_	display format	value label	variable label
edsex_pr11 edsex_pr12	float float	_		edsex_pr1, edsex_sex == 1 edsex pr1, edsex sex == 2

. graph twoway (line edsex_pr11 edsex_ll1 edsex_ul1 edsex_educ if edsex_sex==1
> , sort lcolor(red)) (line edsex_pr12 edsex_ll1 edsex_ul1 edsex_educ if eds
> ex_sex==2, sort lcolor(blue))



3. Changes in Predicted Probabilities

Another way to interpret logistic regression results is using changes in predicted probabilities. These are changes in probability of the outcome as one variable changes, holding all other variables constant at certain values. There are two ways to measure such changes – discrete change and marginal effect.

A. Discrete change

Discrete change is a change in predicted probabilities corresponding to a given change in the independent variable. To obtain these, we calculate two probabilities and then calculate the difference between them. For example:

. mtable, at(sex=1) atmeans rowname(sex=1) statistics(ci)

Expression: Pr(vote), predict()

Specified values of covariates

. mtable, at(sex=2) atmeans rowname(sex=2) statistics(ci) below

Expression: Pr(vote), predict()

		Pr(y)	11	ul
sex=1		0.713	0.684	0.742
sex=2		0.735	0.710	0.761

Current | .243 1.84 13.4

Specified values of covariates

	 age	sex	2. born	2. marital	3. marital	4. marital
Set 1 Current	+ 46.9 46.9	1 2	.0645 .0645	.0927 .0927	.162 .162	.0351 .0351
	5. marital	childs	educ			
Set 1 Current	.243 .243	1.84 1.84	13.4 13.4			

. mtable, dydx(sex) atmeans rowname(sex=2 - sex=1) statistics(ci) below brief

Expression: Pr(vote), predict()

		Pr(y)	11	ul
	-+-			
sex=1	.	0.713	0.684	0.742

```
sex=2 | 0.735 0.710 0.761
sex=2 - sex=1 | 0.022 -0.016 0.060
```

We can also calculate a bunch of predictions and then conduct pairwise comparisons and get significance tests for them using mlincom (need post option in mtable):

```
. mtable, at(sex=(1 2) marital=(1(1)5)) atmeans post Expression: Pr(vote), predict()
```

ļ	sex m	arital	Pr(y)		
1 2 3 4 5 6 7	1 1 1 1 1 2 2	2 3 4 5 1	0.763 0.660 0.639 0.692 0.677 0.783 0.684		
8	2	3	0.665		
9 10		4 5			
- 1	lues of covar	iates 2.	childs	educ	
Current	46.9	.0645	1.84	13.4	
				. 5. _at .67726949	6. _at .7829323
a:	7. 8.	9 at	. 10		
. mlincom 1	- 6 lincom	pvalue	11	ul	
1		0.250	-0.053	0.014	

But there are commands that make it easier to do.

```
. logit vote age i.sex i.born i.marital childs educ
Iteration 0: log likelihood = -1616.8899
Iteration 1: log likelihood = -1361.6039
Iteration 2: log likelihood = -1352.4837
Iteration 3: \log \text{ likelihood} = -1352.4548
Iteration 4: \log \text{ likelihood} = -1352.4548
                                             Number of obs = 2590

LR chi2(9) = 528.87

Prob > chi2 = 0.0000
Logistic regression
Log likelihood = -1352.4548
                                            Pseudo R2
                                                          =
                                                                 0.1635
______
      vote | Coef. Std. Err. z P>|z| [95% Conf. Interval]
       age | .0476294 .003864 12.33 0.000 .0400561 .0552027
       sex |
    female | .1112819 .0966378 1.15 0.250 -.0781248 .3006886
```

born						
no l	97783	04 .1865018	-5.24	0.000	-1.343367	6122936
1						
marital						
widowed	50844	58 .2090768	-2.43	0.015	9182288	0986628
divorced	59896	72 .1349731	-4.44	0.000	8635096	3344249
separated	36092	47 .2461983	-1.47	0.143	8434645	.121615
never mar	43030	34 .1293215	-3.33	0.001	6837689	1768379
1						
childs	03501	06 .0336983	-1.04	0.299	101058	.0310368
educ	.28798	09 .0198907	14.48	0.000	.2489958	.3269661
_cons	-4.7939	28 .3483981	-13.76	0.000	-5.476775	-4.11108

. mchange

logit: Changes in Pr(y) | Number of obs = 2590 Expression: Pr(vote), predict(pr)

Change p-value

	Change	p-value
200	+	
age +1	0.008	0.000
+SD	0.125	0.000
Marginal	0.008	0.000
sex	İ	
female vs male	0.019	0.250
born		
no vs yes	-0.185	0.000
marital		
widowed vs married	-0.089	0.019
divorced vs married	-0.106	0.000
separated vs married	-0.062	0.160
never married vs married	-0.075	0.001
divorced vs widowed	-0.017	0.682
separated vs widowed	0.027	0.626
never married vs widowed	0.014	0.746
separated vs divorced	0.044	0.355
never married vs divorced	0.031	0.278
never married vs separated	-0.013	0.788
childs		
+1	-0.006	0.301
+SD	-0.010	0.302
Marginal	-0.006	0.298
educ		
+1	0.048	0.000
+SD	0.128	0.000
Marginal	0.050	0.000
Average predictions		
0	1	
·		

Pr(y|base) | 0.317 0.683

Here we can see how probability changes when we go up by 1 unit (on average) and when we go up by 1 SD. For dichotomies, it is the difference between two categories. If values of independent variables are specified, predictions are computed at these values. For variables whose values are not specificed, changes are averaged across observed values (i.e., margins' asobserved option). Compare:

[.] mchange, atmeans logit: Changes in Pr(y) | Number of obs = 2590 Expression: Pr(vote), predict(pr)

		Change	p-val	ue		
age		+				
age	+1	0.009	0.0	0.0		
	+SD					
	Marginal	•				
sex	5					
	emale vs male	0.022	0.2	51		
born	cmare vo mare	1	0.2	<u> </u>		
20211	no vs yes	-0.224	0.0	0.0		
marital	110 10 100		0.0			
	ved vs married	-0.101	0.0	24		
	ced vs married	•	0.0			
	ed vs married		0.1			
	led vs married		0.0			
	ced vs widowed		0.6			
	ed vs widowed	•	0.6			
	led vs widowed					
			0.7			
	ed vs divorced		0.3			
	ed vs divorced		0.2			
	d vs separated	-0.015	0.7	8 /		
childs						
	+1					
	+SD	•				
	Marginal	-0.007	0.2	99		
educ						
	+1	0.054	0.0	00		
	+SD	•	0.0	00		
	Marginal	0.057	0.0	00		
Predictions at	base value					
	0	1				
Pr(y base)	0.274	0.726				
Base values of	regressors					
		2.	2.	2.	3.	4.
	age	sex	born	marital	marital	marital
at	46.9	.553	.0645	.0927	.162	.0351
	5.					
	marital	childs	educ			
at	.243	1.84	13.4			

^{1:} Estimates with margins option atmeans.

We can also request more change units by using amount option or delta option, as well as more stats; we can also limit this investigation to certain variables:

<pre>. mchange, amount(all) logit: Changes in Pr(y) Nu</pre>	umber of obs	= 2590
Expression: Pr(vote), predic		
	_	p-value
200	+	
age	1 0 000	0 000
0 to 1	0.008	0.000
+1	0.008	0.000
+SD	0.125	0.000
Range	0.505	0.000
Marginal	0.008	0.000

sex		
female vs male	0.019	0.250
born		
no vs yes	-0.185	0.000
marital		
widowed vs married	-0.089	0.019
divorced vs married	-0.106	0.000
separated vs married	-0.062	0.160
never married vs married	-0.075	0.001
divorced vs widowed	-0.017	0.682
separated vs widowed	0.027	0.626
never married vs widowed	0.014	0.746
separated vs divorced	0.044	0.355
never married vs divorced	0.031	0.278
never married vs separated	-0.013	0.788
childs		
0 to 1	-0.006	0.291
+1	-0.006	0.301
+SD	-0.010	0.302
Range	-0.050	0.305
Marginal	-0.006	0.298
educ		
0 to 1	0.020	0.000
+1	0.048	0.000
+SD	0.128	0.000
Range	0.858	0.000
Marginal	0.050	0.000
Arramaga prodictions		
Average predictions 0	1	
Į U	Т	

. mchange educ, delta(5) statistics(all)
logit: Changes in Pr(y) | Number of obs = 2590
Expression: Pr(vote), predict(pr)

Pr(y|base) | 0.317 0.683

	Change	p-value	LL	UL	z-value
educ					
+1	0.048	0.000	0.043	0.054	17.498
+delta	0.195	0.000	0.177	0.212	22.334
Marginal	0.050	0.000	0.044	0.056	16.917
	Std Err	From	То		
educ	' 				
+1	0.003	0.683	0.732		
+delta	0.009	0.683	0.878		
Marginal	0.003	. Z	. Z		

Average pred	iction	ns	
		0	1
	-+		
Pr(y base)		0.317	0.683

1: Delta equals 5.

We can get these changes for a more limited range than min to max:

```
. mchange, amount(range) trim(5)
logit: Changes in Pr(y) | Number of obs = 2590
Expression: Pr(vote), predict(pr)
```

	Change	p-value
age	+ 	
5% to 95%	0.428	0.000
sex	1	
female vs male	0.019	0.250
born		
no vs yes	-0.185	0.000
marital		
widowed vs married	-0.089	0.019
divorced vs married	-0.106	0.000
separated vs married	-0.062	0.160
never married vs married	-0.075	0.001
divorced vs widowed	-0.017	0.682
separated vs widowed	0.027	0.626
never married vs widowed	0.014	0.746
separated vs divorced	0.044	0.355
never married vs divorced	0.031	0.278
never married vs separated	-0.013	0.788
childs	i	
5% to 95%	-0.031	0.300
educ	1	
5% to 95%	0.448	0.000
Average predictions		

Average prediction	ns	
	0	1
Pr(vlbase)	0.317	0.683

. centile educ, centile(0 5 95 100)

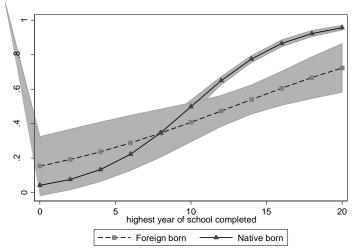
	Vari	able	Obs Pe	rcentile	Centile			nterp Interval]
		educ	2753	0	0		0	0*
				5	8		8	9
		1		95	18		18	18
				100	20		20	20*
*	Lower	(upper)	confidence	limit held	at minimum	(maximum)	of sampl	_e

People often conclude that two groups are different if confidence intervals do not overlap – but that is usually too conservative. Looking at discrete changes with a confidence interval is more informative. Note that if you have linked variables – variables with squared or cubed terms, or with interactions – you should use factor variable notation (as in the example below), and then the commands will keep track of that for you when generating predictions.

vote	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
childs	+ 0340252	.0337392	-1.01	0.313	1001528	.0321024
sex female	 .1040851	.0968511	1.07	0.283	0857396	.2939098
born no educ	1.40973	.7190502 .0214335	1.96 14.51	0.050	.000417	2.819042 .352958
born#c.educ no	 177672	.0521626	-3.41	0.001	2799088	0754351
marital widowed divorced separated never married	4717709 5976599 3473378 4409393	.2097889 .1353399 .2469307 .1298164	-2.25 -4.42 -1.41 -3.40	0.025 0.000 0.160 0.001	8829496 8629213 8313131 6953748	.1366374 1865039
age _cons	.0476348 -5.086571	.0038642	12.33 -13.97	0.000	.0400611 -5.799985	.0552086 -4.373156
Predictions from	. mgen, atmeans at(educ=(0(2)20) born=1) stub(nb_) Predictions from: margins, atmeans at(educ=(0(2)20) born=1) predict(pr) Variable Obs Unique Mean Min Max Label					
nb_pr1 11 nb_ll1 11 nb_ul1 11 nb_educ 11	11 .46909	012 .0204639 713 .0644839	9 .94371 9 .9703	91 95% 56 95%	=1) from marg lower limit upper limit est year of s	
Specified value	Specified values of covariates 2. 2. 3. 4. 5. childs sex born marital marital marital marital					
1.838996 .55	 32819	1 .092664	 41 .161	7761 .	0351351 .24	28571
age						
46.93591						
Predictions from	. mgen, atmeans at(educ=(0(2)20) born=2) stub(fb_) Predictions from: margins, atmeans at(educ=(0(2)20) born=2) predict(pr) Variable Obs Unique Mean Min Max Label					
fb_ul1 11	11 .42099 11 .28804 11 .55395 11	.324630	.8638	988 95%	y=1) from mar lower limit upper limit hest year of	
Specified value		es				
childs	2. sex bo	orn marita	2. al mar	3. ital	4. marital ma	5. rital
1.838996 .55	32819	2 .092664	41 .161	7761 .	0351351 .24	28571
age						

46.93591

- . lab var fb_pr1 "Foreign born"
 . lab var nb_pr1 "Native born"
- . graph twoway (rarea nb_ull nb_lll nb_educ, col(gs10)) (rarea fb_ull fb_lll fb_educ, color(gs10)) (connected fb_pr1 nb_pr1 fb_educ, lpattern(dash solid)), legend(order(3

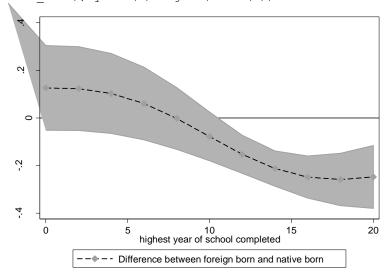


. $mgen, dydx(born) at(educ=(0(2)20)) stub(diff_)$

Predictions from: margins, dydx(born) at(educ=(0(2)20)) predict(pr)

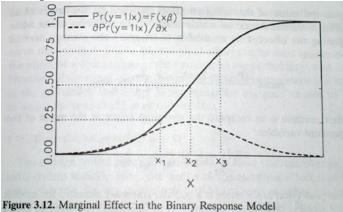
Variable	Obs	Unique	Mean	Min	Max	Label
diff_ll1 diff_ul1	11	11 11	1983488 .0547677	3805256 1604816	0519222 .3041946	<pre>d_pr(y=1) from margins 95% lower limit 95% upper limit highest year of school</pre>

- . lab var $\operatorname{diff}_{-d}\operatorname{prl}$ "Difference between foreign born and native born"
- . graph twoway (rarea diff_ull diff_lll diff_educ, col(gs10)) (connected diff_d_pr1 $\,$ diff educ), yline(0) legend(order(2))

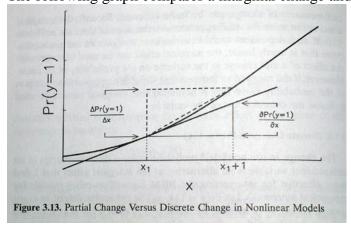


B. Marginal effects.

One thing that we saw in the mchange output above but did not discuss yet is marginal effects – these are partial derivatives, slopes of probability curve at a certain set of values of independent variables. Marginal effects, of course, vary along X; they are the largest at the value of X that corresponds to P(Y=1|X)=.5 – this can be seen in the graph.



The following graph compares a marginal change and a discrete change at a specific point:



Marginal effects are inappropriate for binary independent variables; that's why discrete changes are reported for those instead.

There are three ways that marginal effects are usually estimated:

- 1. Marginal effects at the mean (MEM)
- 2. Marginal effects at representative values (MER)
- 3. Average marginal effects (AME) (marginal effects are estimated at all values and then averaged out)

```
. logit vote age i.sex i.born i.marital childs educ

Iteration 0: log likelihood = -1616.8899
Iteration 1: log likelihood = -1361.6039
Iteration 2: log likelihood = -1352.4837
Iteration 3: log likelihood = -1352.4548
Iteration 4: log likelihood = -1352.4548
Logistic regression

Number of obs =
```

2590

vote	Coef.	Std. Err.	z	P> z	[95% Conf.	Interval]
age 	.0476294	.003864	12.33	0.000	.0400561	.0552027
sex female 	.1112819	.0966378	1.15	0.250	0781248	.3006886
born no 	9778304	.1865018	-5.24	0.000	-1.343367	6122936
marital widowed divorced separated never mar. childs	5084458 5989672 3609247 4303034 0350106	.2090768 .1349731 .2461983 .1293215	-2.43 -4.44 -1.47 -3.33	0.015 0.000 0.143 0.001	9182288 8635096 8434645 6837689	0986628 3344249 .121615 1768379
educ _cons	.2879809 -4.793928	.0198907 .3483981	14.48 -13.76	0.000	.2489958 -5.476775	.3269661 -4.11108

Average marginal effects (AME):

. mchange

logit: Changes in $Pr(y) \mid Number of obs = 2590$

Expression: Pr(vote), predict(pr)

	Change	p-value
age	 	
+1	0.008	0.000
+SD	0.125	0.000
Marginal	0.008	0.000
sex		
female vs male	0.019	0.250
born	1	
no vs yes	-0.185	0.000
marital		
widowed vs married	-0.089	0.019
divorced vs married	-0.106	0.000
separated vs married	-0.062	0.160
never married vs married	-0.075	0.001
divorced vs widowed	-0.017	0.682
separated vs widowed	0.027	0.626
never married vs widowed	0.014	0.746
separated vs divorced	0.044	0.355
never married vs divorced	0.031	0.278
never married vs separated	-0.013	0.788
childs		
+1	-0.006	0.301
+SD	-0.010	0.302
Marginal	-0.006	0.298
educ		
+1	0.048	0.000
+SD	0.128	0.000
Marginal	0.050	0.000

Average predictions

In addition to mchange, we can also obtain marginal effects with dydx option in margins:

. margins, dydx(*)

Average marginal effects Number of obs = 2590

Model VCE : OIM

Expression : Pr(vote), predict()

dy/dx w.r.t. : age 2.sex 2.born 2.marital 3.marital 4.marital 5.marital

childs educ

	dy/dx	Delta-method Std. Err.	Z	P> z	[95% Conf.	Interval]
age	.0083074	.0006053	13.72	0.000	.007121	.0094937
sex female	.0194592	.016928	1.15	0.250	0137191	.0526375
born no	1851289	.0364786	-5.07	0.000	2566257	1136321
marital widowed divorced separated never mar	0892473 1062677 0621571 0747909	.0380707 .0244728 .044188 .0231535	-2.34 -4.34 -1.41 -3.23	0.019 0.000 0.160 0.001	1638646 1542335 148764 1201708	0146301 0583019 .0244498 0294109
childs educ	0061064 .0502287	.0058731	-1.04 16.92	0.298	0176175 .0444093	.0054047

Note: dy/dx for factor levels is the discrete change from the base level.

Marginal effects at the mean (MEM):

. mchange, atmeans

logit: Changes in Pr(y) | Number of obs = 2590

Expression: Pr(vote), predict(pr)

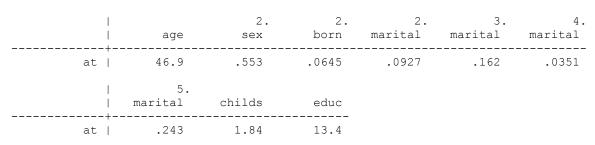
		Change	p-value
age		+ 	
	+1	0.009	0.000
	+SD	0.132	0.000
	Marginal	0.009	0.000
sex			
	female vs male	0.022	0.251
born			
	no vs yes	-0.224	0.000
marital			
	widowed vs married	-0.101	0.024

divorced vs married	-0.121	0.000
separated vs married	-0.069	0.171
never married vs married	-0.084	0.001
divorced vs widowed	-0.020	0.680
separated vs widowed	0.032	0.626
never married vs widowed	0.017	0.747
separated vs divorced	0.052	0.350
never married vs divorced	0.037	0.280
never married vs separated	-0.015	0.787
childs		
+1	-0.007	0.303
+SD	-0.012	0.305
Marginal	-0.007	0.299
educ		
+1	0.054	0.000
+SD	0.134	0.000
Marginal	0.057	0.000

Predictions at base value



Base values of regressors



^{1:} Estimates with margins option atmeans.

We can also get them centered at means (the default option shows mean+1):

. mchange, atmeans centered

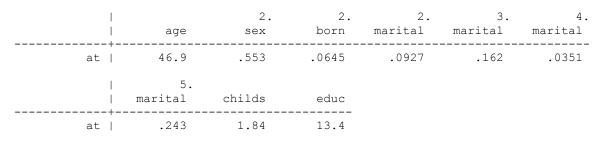
logit: Changes in $Pr(y) \mid Number of obs = 2590$

Expression: Pr(vote), predict(pr)

	Change	p-value
	+	
age		
+1 centered	0.009	0.000
+SD centered	0.162	0.000
Marginal	0.009	0.000
sex		
female vs male	0.022	0.251
born		
no vs yes	-0.224	0.000
marital	1	
widowed vs married	-0.101	0.024
divorced vs married	-0.121	0.000
separated vs married	-0.069	0.171
never married vs married	-0.084	0.001
divorced vs widowed	-0.020	0.680

separated vs widowe	d 0.032 0.626
never married vs widowe	d 0.017 0.747
separated vs divorce	d 0.052 0.350
never married vs divorce	d 0.037 0.280
never married vs separate	d -0.015 0.787
childs	
+1 centere	d -0.007 0.299
+SD centere	d -0.012 0.299
Margina	1 -0.007 0.299
educ	
+1 centere	d 0.057 0.000
+SD centere	d 0.167 0.000
Margina	1 0.057 0.000
Predictions at base value	
1 0	1
ļ U	
Pr(y base) 0.274	0.726

Base values of regressors



 $^{1\}colon \mbox{ Estimates with margins option atmeans.}$

In case of logistic regression, marginal effect for X can be calculated as P(Y=1|X)*P(Y=0|X)*b; For example, we can replicate the result for MEM:

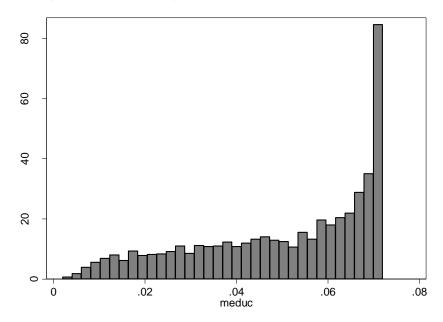
```
.di .7255038*(1-.7255038)* .2879809 .05735083
```

Histogram of marginal effects can help us better understand whether MEM or AME better represent what is going on in our sample:

```
. predict double prhat if e(sample)
(option pr assumed; Pr(vote))
(175 missing values generated)
```

. gen double meduc=prhat*(1-prhat) *_b[educ]
(175 missing values generated)

. histogram meduc
(bin=34, start=.00199118, width=.00205894)



Marginal effects at representative values (MER):

. mchange educ, at(educ=12)

logit: Changes in Pr(y) | Number of obs = 2590

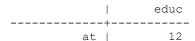
Expression: Pr(vote), predict(pr)

	Change	p-value
1		
i	0.057	0.000
	0.154	0.000
	0.059	0.000
	 -+- 	 0.057 0.154

Average predictions

		0	1
	+		
Pr(v base)	1	0.382	0.618

Base values of regressors



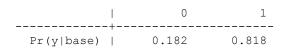
. mchange educ, at(educ=16)

logit: Changes in $Pr(y) \mid Number of obs = 2590$

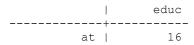
Expression: Pr(vote), predict(pr)

		Change	p-value
educ	-+-		
	1	0 006	0 000
+1		0.036	0.000
+SD		0.090	0.000
Marginal		0.039	0.000

Average predictions



Base values of regressors



. mchange educ, at(educ=10)

logit: Changes in $Pr(y) \mid Number of obs = 2590$

Expression: Pr(vote), predict(pr)

	1	Change	p-value
	+-		
educ			
+1		0.061	0.000
+SD		0.174	0.000
Marginal		0.061	0.000

Average predictions

		0	1
	-+		
Pr(y base)		0.503	0.497

Base values of regressors

		educ
	+	
at		10